

# Social Security and the Increasing Longevity Gap

Eytan Sheshinski  
The Hebrew University of Jerusalem

Frank N. Caliendo  
Utah State University

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- SS tax rate (10.6% of wages) will cover 79% of promised benefits.
- Fiscal crisis caused by increased longevity (baby-boom also at play but temporary): retirees are living longer and collecting benefits over longer retirement period.
- Inescapable reality: **benefits** must be reduced or **taxes** must increase.

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New/simple measure of progressivity

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- Abstract from population and wage growth.



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- Notice the budget doesn't balance separately for each wage type. SS pools contributions to pay life annuity to the living, and there is cross subsidization across wage groups because (i) benefits depend on wages and (ii) survival probabilities depend on wages.

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- Variance of the implicit transfer share is our measure of progressivity:

$$\text{var}(\delta(w)) = \int_0^1 g(w)[\delta(w) - \mathbb{E}(\delta(w))]^2 dw.$$

## Effect of growing life expectancy gap

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- $g(w)$  chosen to match inequality in wage distribution.
- For comparison, we have two calibrations of  $S(t|w)$  by wage type: 1930 birth cohort and 1960 birth cohort (Auerbach et al. (2017)).



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Alternatively, we find that reducing the entire benefit schedule to 77.47% of its current level will balance the budget (again, very close to the SSA estimates).

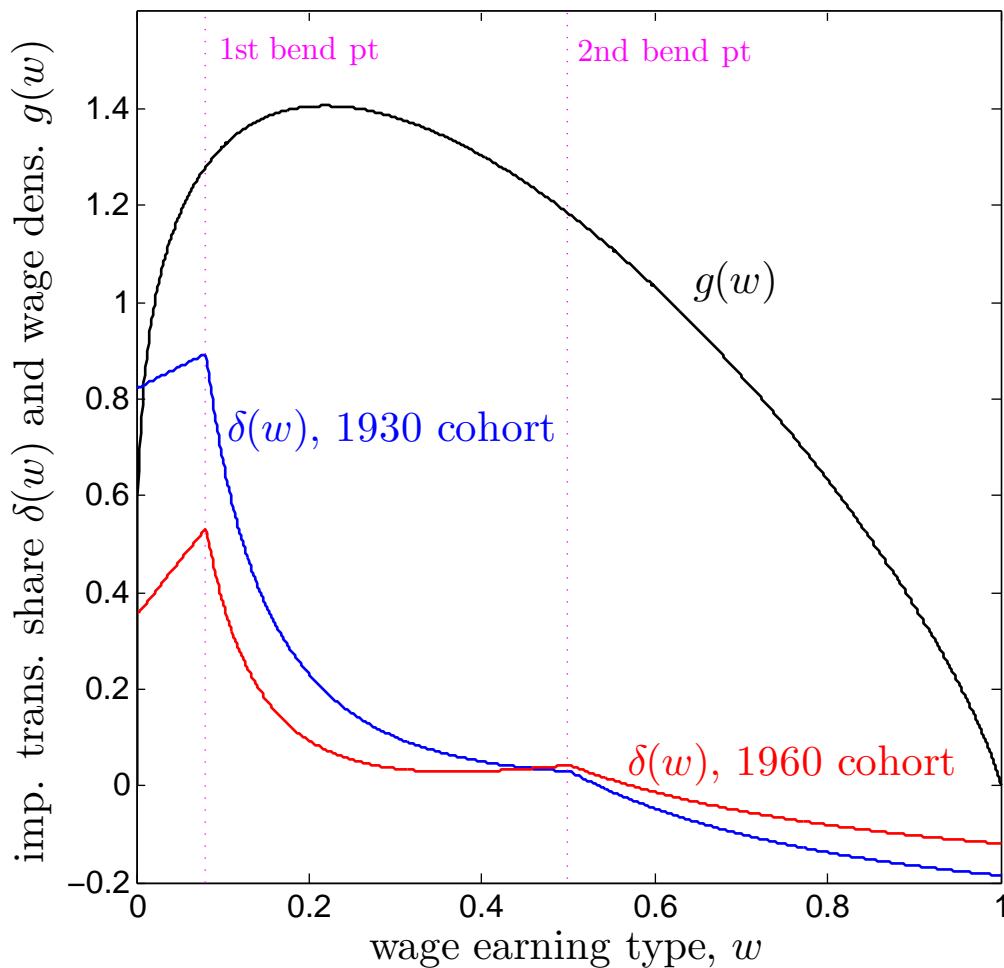
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- ...either way,  $\text{var}(\delta(w)) = 0.0246$ .
- Social Security loses three-quarters of its progressivity as the life expectancy gap widens!

Figure 1. Implicit Transfer Shares in US Social Security



Note: The transfer shares for the 1960 birth cohort are calculated under the assumption that policy makers pursue across the board tax increases or across the board proportional benefit cuts (rather than “fair” reform).

## Two proposals





- Rewrite the implicit transfer share

$$\delta(w) \equiv \frac{\Delta(w)}{\tau \int_0^{t_R} S(t|w) w dt} = \frac{b(w)}{w\tau R(w)} - 1,$$

where

$$R(w) = \frac{\int_0^{t_R} S(t|w) dt}{\int_{t_R}^T S(t|w) dt}.$$

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- Specifically: to hold  $\text{var}(\delta(w))$  constant over time (and thereby preserve progressivity), it is enough to hold the transfer shares themselves  $\delta(w) = \frac{b(w)}{w\tau R(w)} - 1$  constant over time for each  $w$ .

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- One way to do this is to hold constant over time the product  $\tau R(w)$  within each wage type, while leaving benefits intact.

## Option 1: Fair Tax Reform continued...

That is, policy makers would create a wage-dependent (progressive) tax  $\tau(w)$  that adjusts according to the following proposal for some future calendar date  $s > 0$

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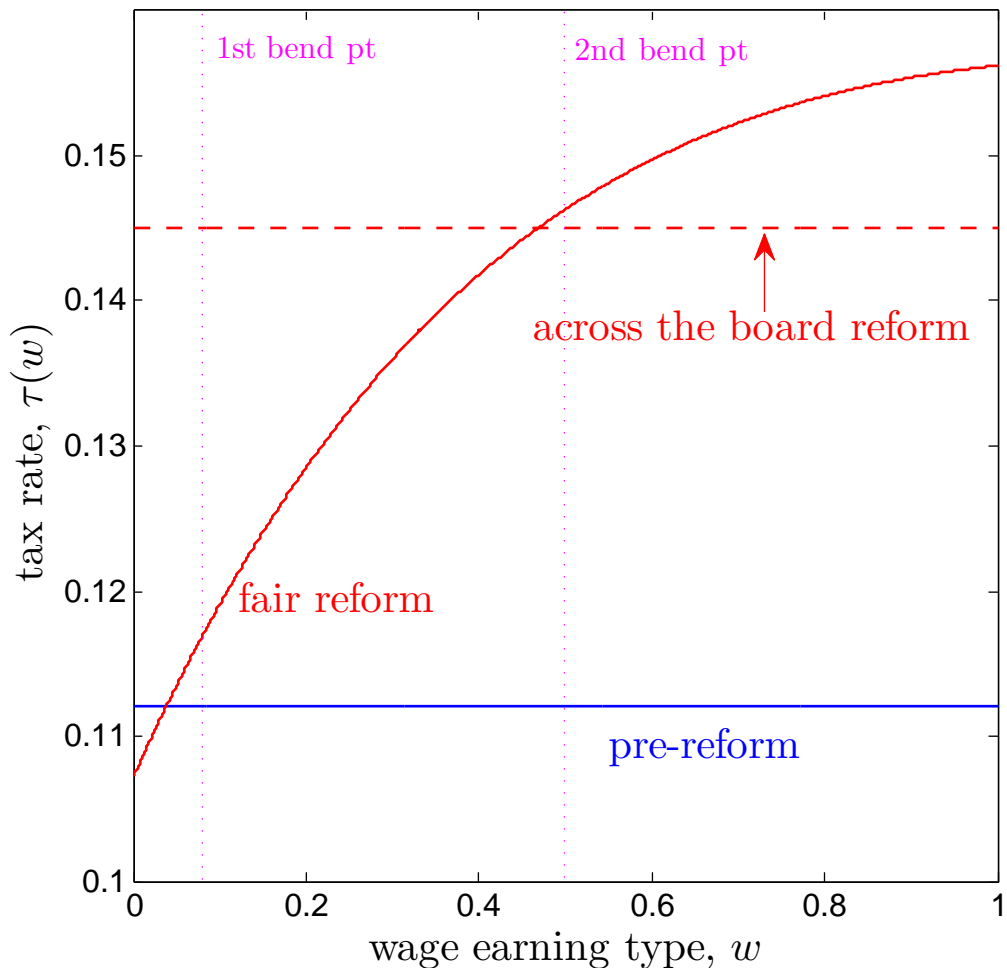
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- Wage types with the greatest longevity gains (the largest reduction in the ratio of workers to retirees) would face the largest increase in their contributions because they are responsible for placing the most strain on the Social Security budget.

Figure 2. Social Security Tax Reform



Note: The pre-reform tax balances the budget under life expectancies from the 1930 birth cohort. The across the board reform tax balances the budget under life expectancies from the 1960 birth cohort. The fair tax reform balances the budget under life expectancies from the 1960 birth cohort and preserves progressivity.

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- Specifically: to hold  $\text{var}(\delta(w))$  constant over time (and thereby preserve progressivity), it is enough to hold  $b(w)/R(w)$  constant over time within each wage type (holding the tax rate fixed), since this holds the transfer shares themselves  $\delta(w) = \frac{b(w)}{w\tau R(w)} - 1$  constant over time for each  $w$ .

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- Recall: across the board reform keeps all of the bend points the same but reduces the slopes of the three segments from their current values of 90%, 32% and 15% down to 70%, 25%, and 12% (each new slope would be 77.47% of the current slope). But this destroys three-quarters of the progressivity of Social Security.

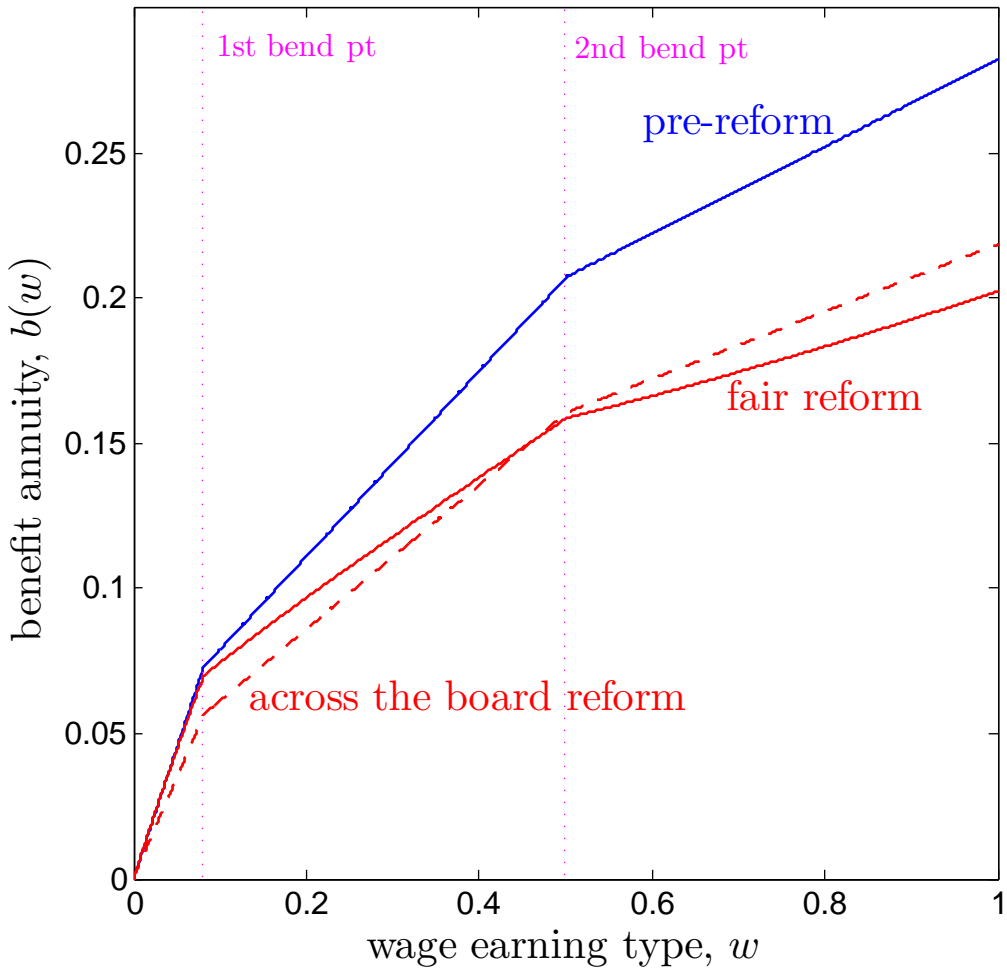
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- Our fair benefit reform: slopes would change from their current values of 90%, 32% and 15% down to 86%, 21%, and 9%.

Figure 3. Social Security Benefit Reform



Note: Pre-reform benefits are current US law. Across the board benefit reform balances the budget under life expectancies from the 1960 birth cohort. The fair tax reform balances the budget under life expectancies from the 1960 birth cohort and preserves progressivity.

Welfare gains

# Welfare Metric

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- At  $t = 0$  individuals learn their wage type  $w$  and take as given  $\tau(w)$  and  $b(w)$ ,

$$\max : U = \int_0^T e^{-\rho t} S(t|w) u(c(t)) dt,$$

subject to

$$\dot{k}(t) = rk(t) + (1 - \tau(w))w - c(t), \text{ for } t \in [0, t_R],$$

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- $\mathbb{E}(U) = \int_0^1 \int_0^T g(w) e^{-\rho t} S(t|w) u(c^*(t|w)) dt dw$ .
- $CV$  is the percentage of lifetime consumption that individuals are willing to give up to live in a world with fair reform

$$\int_0^1 \int_0^T g \cdot e^{-\rho t} \cdot S \cdot u(c_F^*(1-CV)) dt dw = \int_0^1 \int_0^T g \cdot e^{-\rho t} \cdot S \cdot u(c_{AB}^*) dt dw.$$



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    - Above results correspond to  $CRRA = 1.5$ . As we approach risk neutrality, the welfare gains vanish.



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- Different view: wage heterogeneity is entirely or in part the result of heterogeneity in effort or some other deliberate choice.
- If so, the role of insurance is less clear.
- We stay out of this debate. We acknowledge that our welfare calculations depend on our assumption that wage earnings are uncertain.

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